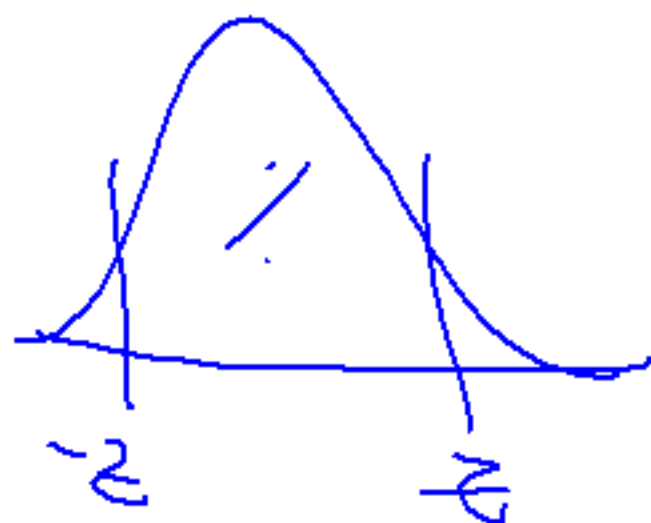


$$150 \pm 3.29$$

$$\bar{X} \pm z^* \cdot \frac{\sigma}{\sqrt{n}}$$

$$\underline{3.29} = \underline{z^*} \cdot \underline{\frac{\sigma}{\sqrt{n}}}$$

$$3.29 = \frac{(1.645)(\sigma)}{\sqrt{25}}$$



2 sided tests and confidence intervals

1) Hypotheses:

$$H_0: \mu = 58.6$$

$$H_a: \mu \neq 58.6$$

2) 2-sided test

$$3) 0.05 = \alpha$$

$$4) Z = -19.64$$

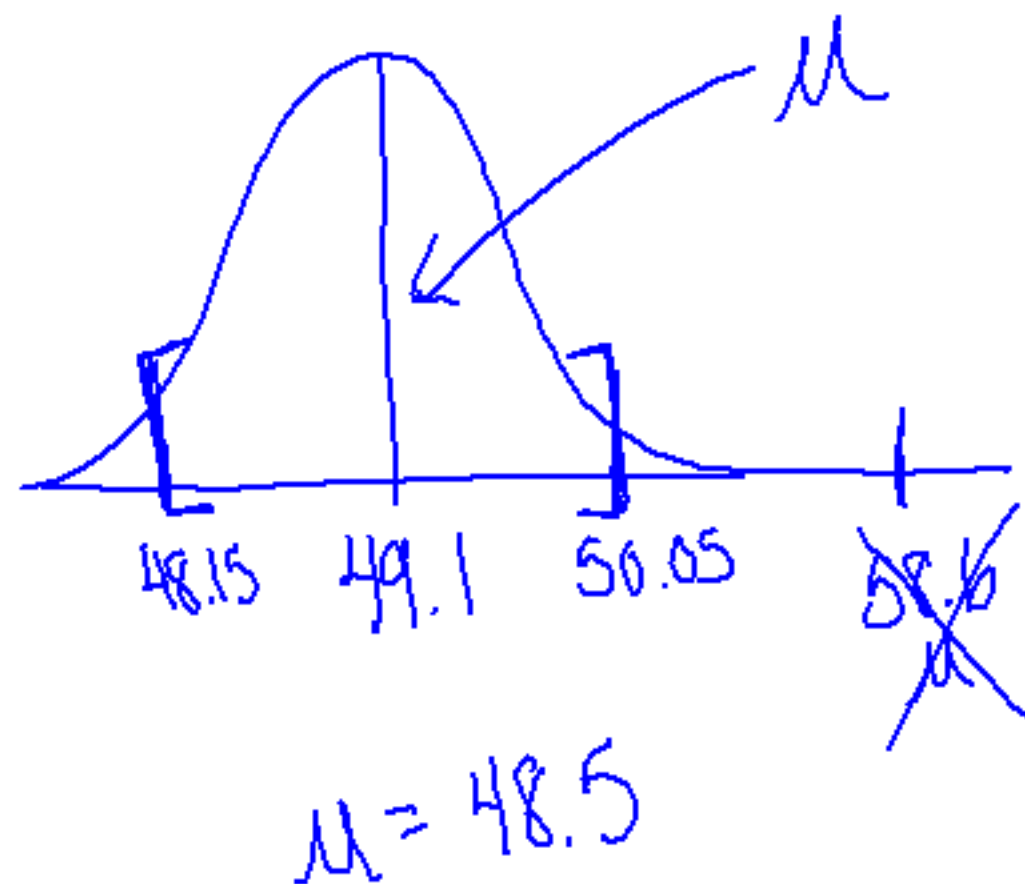
$$p\text{-value} = 8.32 \times 10^{-86}$$

REJECT H_0

$$5) 49.1 = \bar{x}$$

$$6) 58.6 = \mu$$

$$7) (48.15, 50.05) = 95\%$$



Outside

2-sided tests and confidence intervals

- * can be used for... 2 sided test (\neq)
- * conf. level must "match" with... α
 - * Examples: $\alpha = 0.05$ C.L. = 95%
 - $\alpha = 0.01$ C.L. = 99%

Steps:

- Write $H_{yp} (\neq)$
- Determine $\alpha \Rightarrow$ determine conf. level.
- create conf. interval (a, b)
- Look at where μ (claim) falls
- Determine conclusion:
 - Reject if μ falls outside
 - Fail to reject if μ falls inside

- Written conclusion:

* reject/fail to reject @ $\alpha = \underline{0.0}$

b/c the claimed μ
falls outside/inside the
 $\underline{\quad\quad}\%$ conf. interval.

* We have suff. evid that....

$$\textcircled{1} \mu = 61.3$$

$$\bar{x} = 61.79$$

$$\sigma = 4.5$$

$$n = 24$$

$$\alpha = 0.05$$

$$H_0: \mu = 61.3$$

$$H_a: \mu \neq 61.3$$

95% conf. int:

$$\bar{x} \pm z^* \frac{\sigma}{\sqrt{n}} = (59.99, 63.59)$$

- We fail to reject H_0
@ $\alpha = 0.05$ b/c the
claimed μ falls inside
the 95% conf interval.

- We have suff. evid.
that the true average
weight of male runners
is 61.3 kg.

② $\mu = 105$
 $n = 12$
 $\bar{x} = 104.13$
 $\sigma = 5$
 $\alpha = 0.01$

$H_0: \mu = 105$
 $H_a: \mu \neq 105$

99% interval:

$$\bar{x} \pm z^* \sigma / \sqrt{n} = (100.41, 107.85)$$

- We fail to reject H_0 @ $\alpha = 0.01$ b/c our claimed μ falls inside our 99% conf. interval.
- We have suff. evid. that the true avg. radon level is 105 units.